



NATIONAL SENIOR CERTIFICATE EXAMINATION
NOVEMBER 2013

MATHEMATICAL LITERACY: PAPER II

MARKING GUIDELINES

Time: 3 hours

150 marks

These marking guidelines are prepared for use by examiners and sub-examiners, all of whom are required to attend a standardisation meeting to ensure that the guidelines are consistently interpreted and applied in the marking of candidates' scripts.

The IEB will not enter into any discussions or correspondence about any marking guidelines. It is acknowledged that there may be different views about some matters of emphasis or detail in the guidelines. It is also recognised that, without the benefit of attendance at a standardisation meeting, there may be different interpretations of the application of the marking guidelines.

Key:

a	accuracy
m	method
c a	continuous accuracy
r	reasoning

QUESTION 1

a(correct values)

$$\begin{aligned}
 1.1 \quad 1.1.1 \quad \text{Difference} &= (\text{R}1\,047\,000 - \text{R}159\,849) \div 12 \\
 &= \text{R}887\,151 \div 12 \\
 &= \text{R}73\,929,25
 \end{aligned}$$

OR

a(correct values)

$$\begin{aligned}
 \text{Difference} &= (\text{R}1\,047\,000 \div 12) - (\text{R}159\,849 \div 12) \\
 &= \text{R}87\,250 - \text{R}13\,320,75 \\
 &= \text{R}73\,929,25
 \end{aligned}$$

m (percentage correct)

$$\begin{aligned}
 1.1.2 \quad \frac{149,7208}{100} \times \text{R}116\,028 &\div 12 \\
 &= \text{R}173\,718,0498 \div 12 \\
 &= \text{R}14\,477
 \end{aligned}$$

$$\begin{aligned}
 1.1.3 \quad (\text{R}1\,047\,000 \div 12) &\div (\text{R}160\,275 \div 12) \\
 &= \text{R}87\,250 \div \text{R}13\,386,25 \\
 &= 6,5 \text{ months}
 \end{aligned}$$

OR

$$\begin{aligned}
 \text{R}1\,047\,000 \div \text{R}160\,275 & \\
 &= 6,5 \text{ months}
 \end{aligned}$$

$$\begin{aligned}
 1.2 \quad 1.2.1 \quad \text{R}8\,881,91 \times \frac{34}{100} & \\
 &= \text{R}3\,020
 \end{aligned}$$

$$\begin{aligned}
 1.2.2 \quad \text{Entertainment} &= 100\% - (34\% + 11\% + 28\% + 9\% + 8\% + 4\%) \\
 &= 100\% - 94\% \\
 &= 6\%
 \end{aligned}$$

$$\begin{aligned}
 \text{Therefore angle} &= \frac{6}{100} \times 360^\circ \\
 &= 22^\circ
 \end{aligned}$$

$$\begin{aligned}
 1.3 \quad \text{Tax} &= \text{R}28\,800 + \frac{25}{100} \times (\text{R}165\,525 - \text{R}160\,000) \\
 &= \text{R}28\,800 + \frac{25}{100} \times \text{R}5\,525 \\
 &= \text{R}28\,800 + \text{R}1\,381,25 \\
 &= \text{R}30\,181,25 \\
 \text{Tax owed} &= (\text{R}30\,181,25 - \text{R}11\,440) - \text{R}6\,390 \\
 &= \text{R}12\,351,25 \div 12 \text{ months} \\
 &= \text{R}1\,029,27
 \end{aligned}$$

(8)
[25]

QUESTION 2

- 2.1 2.1.1 Map : Room
 87 mm^a : 12 m Accept 86 – 88 mm
 87 mm : 12 000 mm^m
 1 mm : 137,93 ... mm
1 : **138^a** Accept 136 – 140 (4)

Variations:

Longer side as length	86mm or 8,6cm	87mm or 8,7cm	88mm or 8,8cm
	86mm ^a : 12m $\frac{86\text{mm}}{86} : \frac{1200\text{mm}^m}{86^m}$ 1mm : 139,53mm 1 : 140 ^c _a	87mm ^a : 12m $\frac{87\text{mm}}{87} : \frac{1200\text{mm}^m}{87^m}$ 1mm : 137,93mm 1 : 138 ^c _a	88mm ^a : 12m $\frac{88\text{mm}}{88} : \frac{1200\text{mm}^m}{88^m}$ 1mm : 136,36mm 1 : 136 ^c _a
Shorter side as length	68mm or 6,8cm	69mm or 6,9cm	70mm or 7cm
	68mm ^a : 12m $\frac{68\text{mm}}{68} : \frac{1200\text{mm}^m}{68^m}$ 1mm : 176,47mm 1 : 176 ^c _a	69mm ^a : 12m $\frac{69\text{mm}}{69} : \frac{1200\text{mm}^m}{69^m}$ 1mm : 173,91mm 1 : 174 ^c _a	70mm ^a : 12m $\frac{70\text{mm}}{70} : \frac{1200\text{mm}^m}{70^m}$ 1mm : 171,428mm 1 : 171 ^c _a

2.1.2 Map : Room
 1 : 138
 70 mm^a : 138 × 70 mm^m
 = 9 660 mm ÷ 1 000
 = 9,66 m
 = **10 m^a**
 (Even though the range 136 – 140 is taken, answer is still 10 m) (3)

Variations:

Shorter side as breadth	68mm or 6,8cm	68mm or 6,8cm	68mm or 6,8cm
	1 : 140 68mm ^a : 140×68mm ^m = <u>9520mm</u> 1000 = 9,52m = 10m ^{c_a}	1 : 138 68mm ^a : 138×68mm ^m = <u>9384mm</u> 1000 = 9,38m = 9m ^{c_a}	1 : 136 68mm ^a : 136×68mm ^m = <u>9248mm</u> 1000 = 9,248m = 9m ^{c_a}
	69mm or 6,9cm	69mm or 6,9cm	69mm or 6,9cm
	1 : 140 69mm ^a : 140×69mm ^m = <u>9660mm</u> 1000 = 9,66m = 10m ^{c_a}	1 : 138 69mm ^a : 138×69mm ^m = <u>9522mm</u> 1000 = 9,52m = 10m ^{c_a}	1 : 136 69mm ^a : 136×69mm ^m = <u>9384mm</u> 1000 = 9,38m = 9m ^{c_a}
	70mm or 7cm	70mm or 7cm	70mm or 7cm
	1 : 140 70mm ^a : 140×70mm ^m = <u>9800mm</u> 1000 = 9,8m = 10m ^{c_a}	1 : 138 70mm ^a : 138×70mm ^m = <u>9660mm</u> 1000 = 9,66m = 10m ^{c_a}	1 : 136 70mm ^a : 136×70mm ^m = <u>9520mm</u> 1000 = 9,52m = 10m ^{c_a}

Longer side as breadth	86mm or 8,6cm	86mm or 8,6cm	86mm or 8,6cm
	1 : 176 86mm ^a : 176×86mm ^m = <u>15136mm</u> 1000 = 15,136m = 15m ^{c_a}	1 : 174 86mm ^a : 174×86mm ^m = <u>14964mm</u> 1000 = 14,964m = 15m ^{c_a}	1 : 171 86mm ^a : 171×86mm ^m = <u>14706mm</u> 1000 = 14,706m = 15m ^{c_a}
	87mm or 8,7cm	87mm or 8,7cm	87mm or 8,7cm
	1 : 176 87mm ^a : 176×87mm ^m = <u>15312mm</u> 1000 = 15,312m = 15m ^{c_a}	1 : 174 87mm ^a : 174×87mm ^m = <u>15138mm</u> 1000 = 15,138m = 15m ^{c_a}	1 : 171 87mm ^a : 171×87mm ^m = <u>14877mm</u> 1000 = 14,877m = 15m ^{c_a}
	88mm or 8,8cm	88mm or 8,8cm	88mm or 8,8cm
	1 : 176 88mm ^a : 176×88mm ^m = <u>15488mm</u> 1000 = 15,488m = 15m ^{c_a}	1 : 174 88mm ^a : 174×88mm ^m = <u>15312mm</u> 1000 = 15,312m = 15m ^{c_a}	1 : 171 88mm ^a : 171×88mm ^m = <u>15048mm</u> 1000 = 15,048m = 15m ^{c_a}

2.2.2 25% = 3 students

$$100\% = 3 \times 4^m$$

$$100\% = 12$$

$$40\% = 12 \text{ students}$$

$$100\% = 12 \times 2,5^m$$

$$= 30 \text{ students}$$

or

$$\frac{25^m}{100} \times \text{students who attempted the question} = 3 \text{ students}$$

$$= 3 \times \frac{100}{25}$$

$$= 12^a$$

$$\frac{40}{100} \times \text{students in class}^m$$

$$\text{students in class}$$

$$= 12$$

$$= 12 \times \frac{100}{40}$$

$$= 30^c_a$$

OR
m m a (correct values)

$$3 \div 25\% \div 40\%$$

$$= 30 \text{ students}^c_a$$

OR

$$\frac{3}{x} = \frac{25}{100}^m$$

$$x = 12 \text{ students}^c_a$$

$$\frac{12}{y} = \frac{40}{100}^m$$

$$y = 30 \text{ students}^c_a$$

OR
m a

$$\frac{25}{100} \times \frac{40}{100} = \frac{10}{100}$$

∴ 10% of class is 3 learners

∴ 100% of class is 3 × 10 learners^m

∴ 100% of class is 30 learners^{c_a}

(4)

$$2.3 \quad 2.3.1 \quad \frac{90}{100}^m \times 150 = 135^a \quad (2)$$

$$2.3.2 \quad \frac{80}{100}^m \times 400 = 320^a \quad (2)$$

$$2.3.3 \quad 320 - 135^m - 77 = 108^a \quad (2)$$

$$2.3.4 \quad \frac{108}{150}^m \times 100 = 72\%^c_a \quad (2)$$

OR

$$2.3.1 \quad \frac{90}{100}^m \times 150 = 135^a \quad (2)$$

$$2.3.2 \quad \frac{80}{100}^m \times 400 = 320^a \quad (2)$$

$$2.3.4 \quad (77+90+D) \div 3 = 80 \\ D = 73\% \quad (0)$$

$$2.3.3 \quad 73 \times 1,5^m = 108,5^c_a \quad (2)$$

[35]

QUESTION 3

3.1 1 : 5
 2 ℓ : 2 ℓ × 5
 = 2 ℓ : 10 ℓ^a
 ∴ 12 ℓ^a × 1 000 ml
 = **12 000 ml**^{c_a}

or

Juice = 2 ℓ + (5 × 2 ℓ)
 = 2 ℓ + 10 ℓ^a
 = 12 ℓ^a × 1 000 ml
 = 12 000 ml^{c_a}

Or

1 : 6^a
 2 ℓ : 2 ℓ × 6
 = 2 ℓ : 12 ℓ^a
 ∴ 12 ℓ^a × 1 000 ml
 = **12 000 ml**^{c_a}

Any conversion × 1000 = 1 mark

(3)

3.2 3.2.1 C = π × diameter
 = 3,14 × 60 mm^a
 = 188,4 mm + 5 mm overlap^m
 = **193,4 mm**^a or 19,34cm

Or

 π × 60 mm^a
 = 188,5 mm + 5 mm overlap^m
 = **193,5 mm**^a or 19,35cm

Adding 5mm to 60mm before substituting in equation max 1 mark

(3)

$$\begin{aligned}
 3.2.2 \quad \text{No. of stickers in height (1 m)} &= 1\,000 \text{ mm} \div 80 \text{ mm}^m \\
 &= 12,5 \\
 &= 12^a \\
 \text{No. of stickers in length (5 m)} &= 5\,000 \text{ mm} \div 193,4 \text{ mm}^{ca\ m} \\
 &= 25,88 \dots \\
 &= 25^{ca} \text{ (rounding incorrectly -1 only once)} \\
 \therefore \text{No. of stickers in Roll} &= 12 \times 25 \\
 &= 300^c_a \\
 \therefore 600 \div 300^c_a & \\
 &= 2 \text{ rolls}
 \end{aligned}$$

OR

$$\begin{aligned}
 \text{No. of stickers in height (1 m)} &= 1\,000 \text{ mm} \div 193,4 \text{ mm}^{ca\ m} \\
 &= 5,170630817 \\
 &= 5^{ca} \\
 \text{No. of stickers in length (5 m)} &= 5\,000 \text{ mm} \div 80 \text{ mm}^m \\
 &= 62,5 \\
 &= 62^a \text{ (rounding incorrectly -1 only once)} \\
 \text{No. of stickers in a roll} &= 62 \times 5 \\
 &= 310^a \\
 \therefore 600 \div 310^m & \\
 &= 1,93 \dots \\
 \therefore 2 \text{ rolls} &
 \end{aligned}$$

If student calculates area, then a maximum of 2 marks.

$$\begin{aligned}
 \text{Area of Roll} &= 5\,000 \text{ mm} \times 1\,000 \text{ mm} \\
 &= 5\,000\,000 \text{ mm}^2^a \\
 \text{Area of Label} &= 193,4 \text{ mm} \times 80 \text{ mm} \\
 &= 15\,472 \text{ mm}^2^a
 \end{aligned}$$

$$\begin{aligned}
 \text{Number of stickers on a roll} &= \frac{5\,000\,000 \text{ mm}^2}{15\,472 \text{ mm}^2} \\
 &= 323,16
 \end{aligned}$$

\therefore 2 rolls is needed

(6)

$$\begin{aligned}
 3.2.3 \quad V &= \pi \times r^2 \times ht \\
 350 \text{ ml} \times 1\,000^m &= 3,14 \times (30 \text{ mm})^2^a \times ht \\
 350\,000 \text{ mm}^3 &= 2\,826 \text{ mm}^2 \times ht \\
 123,84 \dots^{ca} &= ht \\
 124 \text{ mm}^c_a &\text{ must be mm}
 \end{aligned}$$

OR

$$\begin{aligned}
 1 \text{ cm}^3 &= 1 \text{ ml} \\
 \therefore 350 \text{ cm}^3 &= 350 \text{ ml} \\
 350 \text{ cm}^3^m &= 3,14 \times (3 \text{ cm})^2^a \times \text{height} \\
 350 \text{ cm}^3 &= 28,26 \text{ cm}^2 \times \text{height} \\
 12,384 \text{ cm} &= \text{height} \\
 12,384 \text{ cm} \times 10 &= \text{height} \\
 123,84 \text{ mm}^{ca} &= \text{height} \\
 124 \text{ mm}^c_a &= \text{height must be mm}
 \end{aligned}$$

(4)

3.3 3.3.1 Money received = $R7,50^{a m} \times b^a$
 or
 Money received = $R7,50^{a m} \times \text{no of cool drink bottles}^a$ (3)

3.3.2 The expenditure graph is higher than the income graph. ^{aa}
 or
 Income – Expense
 $R75 - R275 = -R200^a$ therefore a loss^a (2)

3.3.3 (a) Income = $R7,50 \times 50$
 = $R375^c_a$
 Expense = $R250 + (R2,50 \times 50)$
 = $R375^a$
 Profit = Income – Expense ^m
 = $R375 - R375$
 = $R0^c_a$ (4)

(b) Break-even point ^{caca} or an explanation of break-even point
 Profit or Loss ^{ca ca} based on answer for 3.3.3(a) (2)
[27]

QUESTION 4

4.1 $\frac{85}{100} \times 35 \ell^m$
 $= 29,75 \ell^{ca}$

Number of km = $29,75 \ell \div 5,5 \ell^m \times 100 \text{ km}^m$
 $= \mathbf{540,91 \text{ km}}$

Distance from Johannesburg to Durban = $\mathbf{625 \text{ km} - 52 \text{ km}^m = 573 \text{ km}^{ca}}$

∴ Jordan will need to fill up. *ca (reason)*

(7)

OR

If 15% of 35 ✗ however answer can get ^{ca}

OR

If distance used is 625 km: maximum 5 marks

OR

If started with km: then full marks apply

4.2 4.2.1 Cost = $R50\,000^a + (R1\,634,29 \times 60 \text{ months})^a$
 $= R50\,000 + R98\,057,40^c_a$
 $= \mathbf{R148\,057,40^c_a}$

(4)

4.2.2 (a) A – 3^a
 B – 2^a
 C – 6^a

(3)

(b) $A = P(1 + i)^n$
 $= R50\,000 \left(1 + \frac{0,045^a}{12^a}\right)^{60^a}$
 $= \mathbf{R62\,589,79^c_a}$

(4)

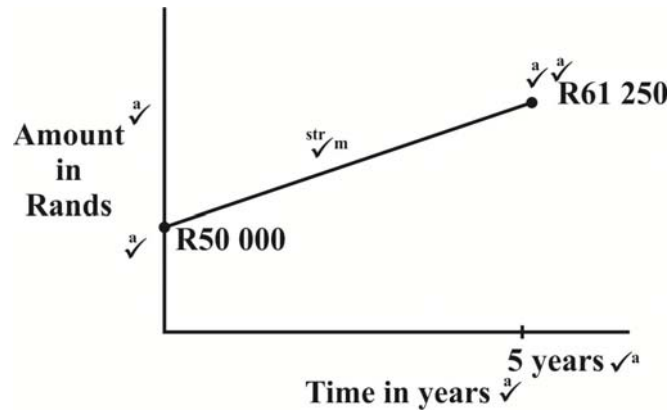
(c) $(R2\,137,60 \times 60^m) + R50\,000^m - R12\,589,79^m$
 $= R128\,256 + R50\,000 - R12\,589,79$
 $= R165\,666,21^c_a$
 ∴ not a cheaper option ^c_a
 (Based on 4.2.1)

(5)

OR

If do not subtract interest: maximum 4 marks

(d)



$$\begin{aligned}
 A &= P(1 + i.n) \\
 &= R50\,000(1 + 0,045 \times 5) \\
 &= R61\,250
 \end{aligned}
 \tag{7}$$

OR

If axes swopped around: full marks

OR

If bar graph drawn: maximum 6 marks unless a line is drawn across the endpoints of bars.

- 4.3 Statement 1 – Graph 1 or 3 ^a
 Statement 2 – Graph 6 ^a
 Statement 3 – Graph 2 ^a
 Statement 4 – Graph 1 ^a (4)

4.4 4.4.1 $\frac{11,6}{100}^a + \frac{18,4}{100}^a = \frac{30}{100} = \frac{3}{10}^c$ (3)

4.4.2 $100\% -^m (20,2\% + 18,4\%^m + \dots)$
 $= 100\% - 95,9\%$
 $= 4,1\%^a$ (3)

4.5 4.5.1 Range = $26\%^a - -45\%^a$
 $= 71\%^a$ (3)

- If: $26^a - 45$
 $= -19\%$
- If: $45 + 26^a$
 $= 71\%^{ca}$
- If: $-45^a + 26^a$
 $= 19\%$
- If: $45 - 26$
 $= 19\%^{ca}$
- If: -45^a to 26^a or $y [-45^a, 26^a$

$$\begin{aligned}
 4.5.2 \quad \text{Mean} &= \frac{\text{Total}}{\text{Number}} \\
 -6,31\% &= \frac{26\% + 24,4\% + 8\% + 3,6\% + 1,5\% + 1\% + -5\% + \dots}{13} \quad \text{a} \\
 -6,31 &= \frac{-72,4\% + \text{Mercedes}}{13} \quad \text{a} \\
 -82,03\% \quad \text{ca} &= -72,4\% + \text{Mercedes} \\
 -9,63\% \quad \text{ca} &= \text{Mercedes} \quad (6)
 \end{aligned}$$

No final ^{ca} if answer not less than -9,63%.

If Trial and Error: must be $9,1 < x < 9,9$ with explanation to get all 6 marks

If Trial and Error: Choose 9 or 10, max 4 marks

If answer is +9,63%, 4 marks only

1 mark only if used visual justification (i.e. Mercedes is half as long as Toyota)

6 marks if measured length of bars and used ratio

[49]

QUESTION 5

5.1 $(1 \text{ min} \times 60 \text{ sec}) + 24 \text{ sec}$
 $= 60 \text{ sec} + 24 \text{ sec}$
 $= \mathbf{84 \text{ sec}}$ No penalty for missing units (2)

124 sec^{ca}

5.2 Speed = $\frac{5,303 \text{ km}}{84 \div 60 \div 60 \text{ h}}$ m (for s=d/t)
 $= \frac{5,303 \text{ km}}{\frac{7}{300} \text{ h}}$ m (for converting time)
 $= 227,27 \dots \text{ km/h}$ No penalty for missing units
 $\mathbf{227 \text{ km/h}}$ ^c (P1R if not rounded) (3)

5.3 5.3.1 $307,574 \text{ km}^m \div 5,303 \text{ km}$
 $= 57,99 \dots$
 $= \mathbf{58 \text{ laps}}$ ^a (2)

5.3.2 $58 \text{ laps} \times 1 \text{ min } 24 \text{ sec}^m$
 $= \mathbf{1 \text{ hrs}^{ca} \text{ } 21 \text{ min } 12 \text{ sec}^{ca}}$

or

$58 \text{ laps} \times 84 \text{ sec}^m$
 $= 4 \text{ } 872 \text{ sec} \div 60$
 $= 81,2 \text{ min}$
 $= 81 \text{ min } 12 \text{ sec}$
 $81 \text{ min} \div 60$
 $= \mathbf{1 \text{ hr}^{ca} \text{ } 21 \text{ min } 12 \text{ sec}^{ca}}$

or

$307,574 \div 227^m$
 $= = \mathbf{1 \text{ hr}^{ca} \text{ } 21 \text{ min } 12 \text{ sec}^{ca}}$

or

If answer to 5.1 = 124 sec
 $58 \text{ laps} \times 124 \text{ sec}^m$
 $= \mathbf{1 \text{ hr}^{ca} \text{ } 59 \text{ min } 52 \text{ sec}^{ca}}$

(3)

5.4 Area = $5,303 \text{ km} \times 14 \text{ m}$
 $= 5 \text{ } 303 \text{ m}^m \times 14 \text{ m}^m$
 $= 74 \text{ } 242 \text{ m}^2$ No penalty for missing units
 Cost = $74 \text{ } 242 \text{ m}^2 \times \text{R}150/\text{m}^2^m$
 $= \mathbf{\text{R}11 \text{ } 136 \text{ } 300}$ ^c_a

(4)
[14]

Total: 150 marks